

Part I Time Limit: 12 minutes On contests #2, #4, and #6, any S.A.T. calculator will be allowed.

- 1-1. In a set of 4 consecutive positive integers whose sum S > 20, the product of the 2 largest integers in the set has, as its digits, the 2 smallest integers in the set. What is the least possible value of S?
- 1-2. When all 5 diagonals of regular pentagon P_1 are drawn, a smaller regular pentagon P_2 is formed. What is the ordered pair of integers (*c*,*d*) for which the ratio of the perimeter of P_2 to that of P_1 is $\frac{1}{2}(c \sqrt{d})$?

Part II Time Limit: 12 minutes

- 1-3. Let $\sqrt{6} + \sqrt{6} + \sqrt{6} + \sqrt{6} + \dots = n$, where dots represent an infinite continuation of the operations of addition and taking a square root, as shown. Write the value of *n* in simplest form.
- 1-4. What are all ordered pairs of real numbers (x,y) which satisfy both x+y = 14 and $x-y+\sqrt{x-y} = 6$?

Part III Time Limit: 12 minutes

- 1-5. Mrs. Ross is twice as old as Janet. Janet is twice as old as Peter. In *x* years, Mrs. Ross' age then will be twice Peter's age then. What is Mrs. Ross' current age (in terms of *x*)?
- 1-6. Medians \overline{BM} and \overline{CN} of $\triangle ABC$ are perpendicular to each other. If BC = 10, what is the length of median \overline{AP} ?

Notice: A question next meet will repeat the diagram of question 1-2.

Answers

1-1. 26

- 1-2. (3,5)
- 1-3. 3
- 1-4. (9,5)
- 1-5. 2*x*
- 1-6. 15