

Part I Time Limit: 12 minutes Answers must be exact or have 4 (or more) significant digits, correctly rounded.

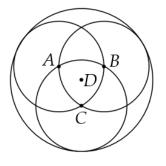
- 2-1. When Jerry played roulette, he spun the wheel 2016° *counterclockwise*. If he then wanted to reset the wheel to its position before spinning, at least how many degrees must he turn the wheel in the *clockwise* direction?
- 2-2. What is the area of the triangle whose vertices are at (10, 0), (0, 8), and (20, 16)?

Part II Time Limit: 12 minutes

- 2-3. Jack picked an integer *N* from 100 to 999 inclusive. He then subtracted the sum of digits of *N* from *N*. What is the largest positive integer that must divide the result?
- 2-4. The first four terms of an increasing arithmetic sequence S are *a*, *b*, *c*, and *d* respectively. If a + b + c + d = 20 and ad: bc = 2:3, what is the value of *a*?

Part III Time Limit: 12 minutes

- 2-5. What are all integers *a* for which the solutions of $x^2 + ax + 12 = 0$ are integers?
- 2-6. Three congruent circles have centers *A*, *B*, and *C*, as shown, so that each circle passes through the centers of other two. A large circle with center *D* is externally tangent to each of the other three circles, as shown. If the length of a radius of circle *A* is 8, what is the length of a radius of circle *D*?



Answers 2-1. 216 or 216° 2-2. 120 2-3. 9 2-4. 2 2-5. -13, -8, -7, 7, 8, 13 2-6. $8 + \frac{8}{\sqrt{3}}$